

## ALICE results

measurement of the  $\Xi_c^0$ -baryon cross sections, not  
 and by the BRs, in the two different decay channels  
 (0.75,1)

allowed the computation of the  $\text{BR}(\Xi_c^0 \rightarrow \Xi^- e^+ \nu_e) / \text{BR}(\Xi_c^0 \rightarrow \Xi^- \pi^+)$  ratio. The  $p_T$ -dependent ratio of the two measurements, which was observed to be flat in  $p_T$  [49], was averaged over  $p_T$  using the inverse uncorrelated relative uncertainties as weights [53]. The final systematic uncertainty on the ratio was obtained by summing in quadrature the  $p_T$ -correlated and uncorrelated systematic uncertainties. The measured ratio is  $\text{BR}(\Xi_c^0 \rightarrow \Xi^- e^+ \nu_e) / \text{BR}(\Xi_c^0 \rightarrow \Xi^- \pi^+) = 1.38 \pm 0.14(\text{stat}) \pm 0.22(\text{syst})$ . The result is consistent with the global average reported by the PDG ( $1.3 \pm 0.8$ ) [30] and has a total uncertainty reduced by a factor of 3. The result is also consistent with the one released by the Belle Collaboration [54].

$p_{\Xi^-}^*/p_{\max}^*$  region:

(0.45, 0.55)

(0.55, 0.65)

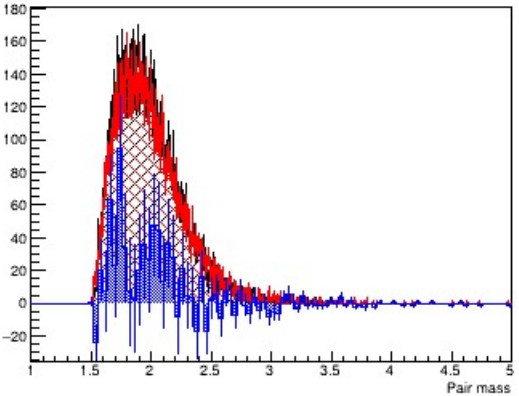
(0.65, 0.75)

(0.75, 1)

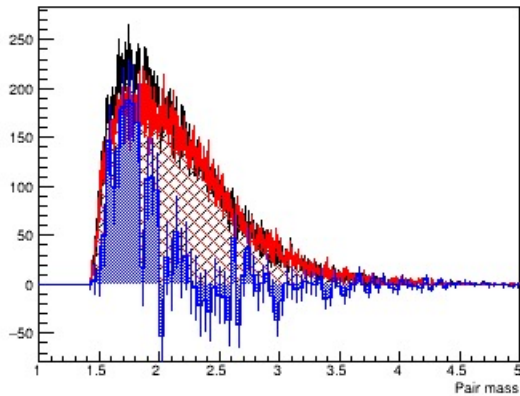
$p_f^*/p_{\max}^*$	$[\mathcal{B}(\Xi_c^0 \rightarrow \Xi^- \ell^+ \nu_\ell) / \mathcal{B}(\Xi_c^0 \rightarrow \Xi^- \pi^+)]$
$\Xi_c^0 \rightarrow \Xi^- e^+ \nu_e$	$0.730 \pm 0.021$
$\Xi_c^0 \rightarrow \Xi^- \mu^+ \nu_\mu$	$0.708 \pm 0.033$

# Background subtraction (MB)

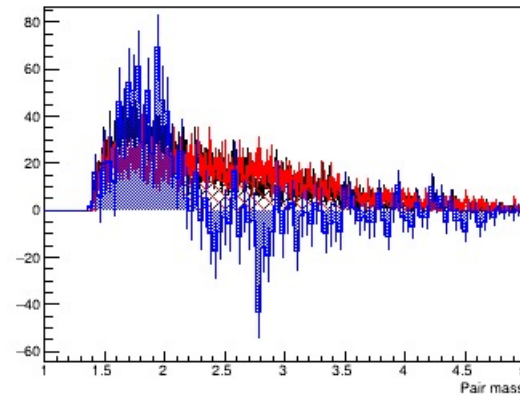
INEL0\_MB\_0to100,  $1 < pT < 2$



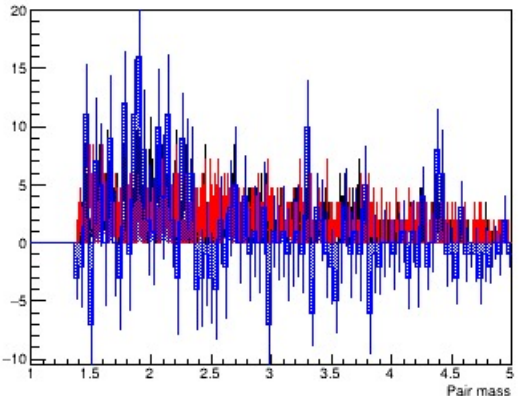
INEL0\_MB\_0to100,  $2 < pT < 4$



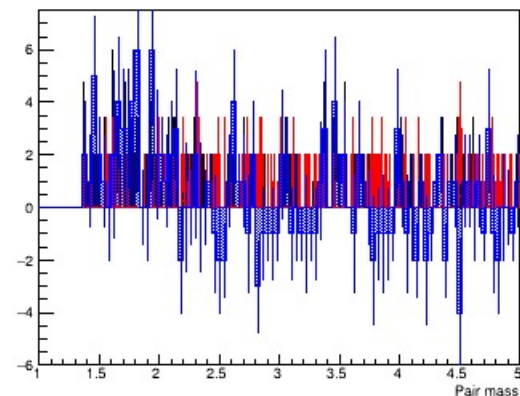
INEL0\_MB\_0to100,  $4 < pT < 6$



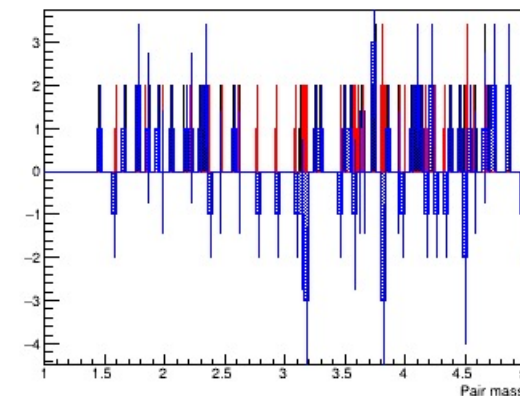
INEL0\_MB\_0to100,  $6 < pT < 8$



INEL0\_MB\_0to100,  $8 < pT < 12$



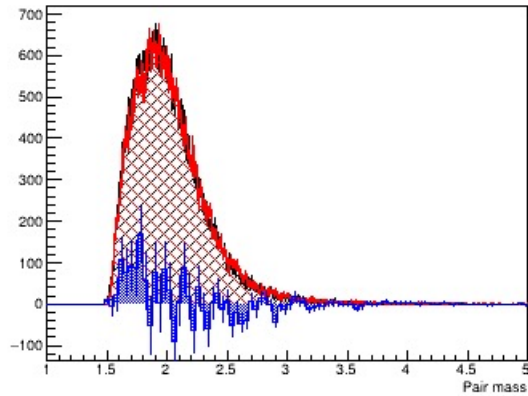
INEL0\_MB\_0to100,  $12 < pT < 24$



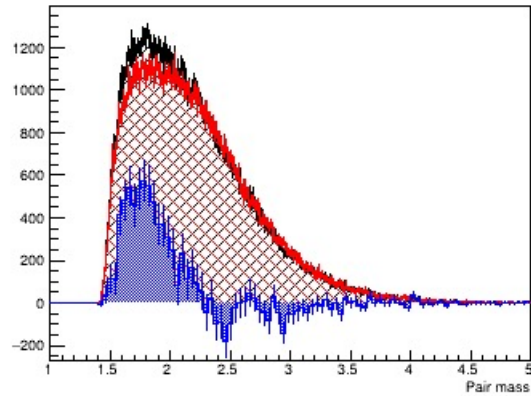


# Background subtraction (HMV0)

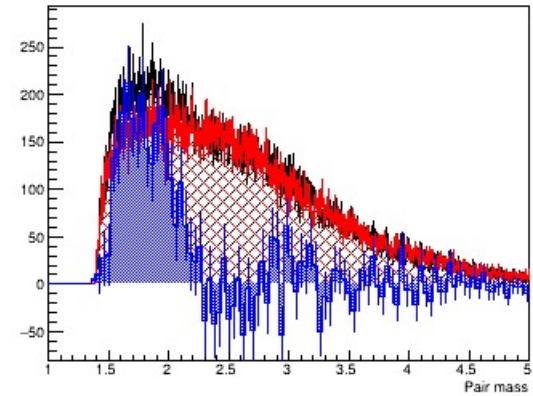
INEL0\_HMV0\_0to0p1,  $1 < p_T < 2$



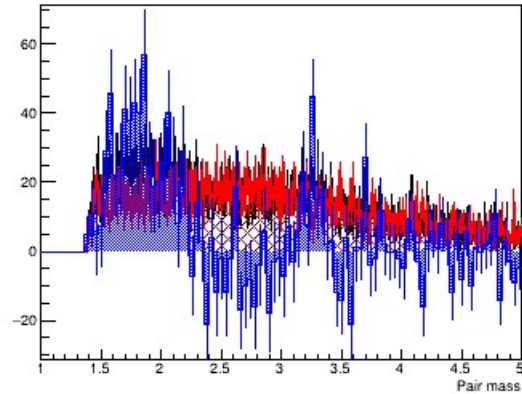
INEL0\_HMV0\_0to0p1,  $2 < p_T < 4$



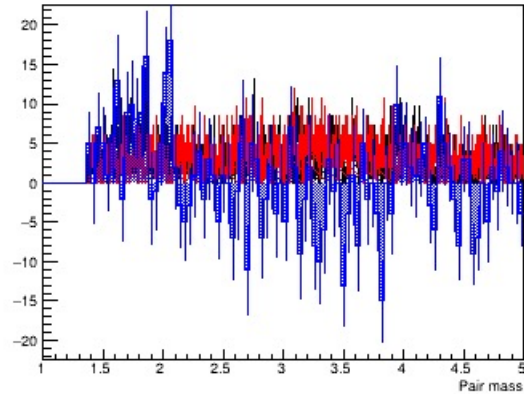
INEL0\_HMV0\_0to0p1,  $4 < p_T < 6$



INEL0\_HMV0\_0to0p1,  $6 < p_T < 8$



INEL0\_HMV0\_0to0p1,  $8 < p_T < 12$



INEL0\_HMV0\_0to0p1,  $12 < p_T < 24$

