## Photoproduction of $\phi$－meson with K＊$\Sigma$－bound state



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Collaborated with Prof．Yongsun Kim and Seung－il Nam

## Background and motivation




## LHCb experiment confirmed $P_{c}$

$$
\begin{aligned}
P_{c}^{+}\left[\bar{D}^{*} \Sigma_{c}\right] & \longrightarrow J / \psi[c \bar{c}] p \\
& \longrightarrow \text { confirmed! }
\end{aligned}
$$

$$
P_{s}^{+}\left[K^{*} \Sigma\right] \longrightarrow \phi[s \bar{s}] p
$$

—>possible?

Attempt to find $P_{s}$ from $K^{+} p \rightarrow K^{+} \phi p$

by Prof. S.-i Nam PRD103, 054040(2021)

## Background and motivation

## PHYSICAL REVIEW D 105, 114023 (2022)

Production of $\boldsymbol{P}_{\boldsymbol{c}}(\mathbf{4 3 1 2})$ state in electron-proton collisions
In Woo Park $\odot,{ }^{1}$ Sungtae Cho, ${ }^{2,3}$ Yongsun Kim $\odot,{ }^{4,3,{ }^{*}}$ and Su Houng Lee ${ }^{1, \uparrow}$


Electroproduction of $J / \psi$ with $P_{c}$

Photo- or
electroproduction of $\phi$-meson with $P_{s}$ ?

Nucleon

Similar process for $P_{s}$ is also possible

## Pentaquark molecular $K^{*} \Sigma$ bound-state $P_{s}(2071,3 / 2-)$

PHYSICAL REVIEW D 83, 114041 (2011)
Vector meson-baryon dynamics and generation of resonances

K. P. Khemchandani, ${ }^{1, *}$ H. Kaneko, ${ }^{1, \dagger}$ H. Nagahiro, ${ }^{2,{ }^{, \dagger}}$ and A. Hosaka ${ }^{1, \S}$<br>${ }^{1}$ Research Center for Nuclear Physics (RCNP), Mihogaoka 10-1, Ibaraki 567-0047, Japan<br>${ }^{2}$ Department of Physics, Nara Women's University, Nara 630-8506, Japan (Received 15 April 2011; published 22 June 2011)

The purpose of this work is to study vector meson-octet baryon interactions with the aim to find dynamical generation of resonances in such systems. For this, we consider $s$-, $t$-, $u$-channel diagrams along with a contact interaction originating from the hidden local symmetry Lagrangian. We find the contribution from all these sources, except the $s$ channel, to be important. The amplitudes obtained by solving coupled channel Bethe-Salpeter equations for systems with total strangeness zero, show the generation of one isospin $3 / 2$, spin $1 / 2$ resonance and three isospin $1 / 2$ resonances: two with spin $3 / 2$ and one with spin $1 / 2$. We identify these resonances with $\Delta(1900) S_{31}, N^{*}(2080) D_{13}, N^{*}(1700) D_{13}$, and $N^{*}(2090) S_{11}$, respectively.


We will investigate photo- and electroproduction including $\mathrm{P}_{\mathrm{s}}$

## Theoretical formalism

## Vector meson dominance (VMD) and Lagrangians for $\mathrm{P}_{\mathrm{s}}$

$$
\begin{aligned}
& \mathscr{L}_{\gamma N P_{s}}=e\left(\frac{i h_{1}}{2 m_{N}} \bar{N} \gamma^{\nu}-\frac{h_{2}}{\left(2 m_{N}\right)^{2}} \partial^{\nu} \bar{N}\right) F_{\mu \nu} P_{s}^{\mu}+H . c .+H . c . \\
& \mathscr{L}_{V N P_{s}}=-\frac{i g_{1}}{2 m_{N}} \bar{N}^{\nu} F_{\mu \nu}^{V} P_{s}^{\mu}-\frac{g_{2}}{\left(2 m_{N}\right)^{2}} \partial^{\nu} \bar{N} F_{\mu \nu}^{V} P_{s}^{\mu}+\frac{g_{3}}{\left(2 m_{N}\right)^{2}} \bar{N} \partial^{\nu} F_{\mu \nu}^{V} P_{s}^{\mu}+H . c .
\end{aligned}
$$

Here, we consider only the leading terms
$g_{1}$ and $\Gamma_{P_{s}}=14 \mathrm{MeV}$
K. P. Khemchandani et al. PRD83.114041(2011)

Using VMD,


$$
e h_{1}=g_{1} \frac{e}{f_{V}} \frac{2 m_{N}\left(m_{N}+m_{P_{s}}\right)}{\left(m_{P_{s}^{2}}-m_{N}^{2}\right) m_{V}} \sqrt{\frac{6 m_{V}^{2} m_{P_{s}}^{2}+m_{N}^{4}-2 m_{N}^{2} m_{P_{s}}^{2}+m_{P_{s}}^{4}}{3 m_{P_{s}}^{2}+m_{N}^{2}}}
$$

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& \mathscr{L}_{V N P_{s}}=-\frac{i g_{1}}{2 m_{N}} \bar{N}^{\nu} F_{\mu \nu}^{V} P_{s}^{\mu}-\frac{g_{2}}{\left(2 m_{N}\right)^{2}} \partial^{\nu} \bar{N} F_{\mu \nu}^{V} P_{s}^{\mu}+\frac{g_{3}}{\left(2 m_{N}\right)^{2}} \bar{N} \partial^{\nu} F_{\mu \nu}^{V} P_{s}^{\mu}+H . c .
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$$

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$g_{1}$ and $\Gamma_{P_{s}}=14 \mathrm{MeV}$
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Using VMD,
隹 $V(\rho, \omega, \phi)$

$e h_{1}=g_{1} \frac{e}{f_{l}}$| $M_{R}-i \Gamma / 2 \rightarrow\left(J^{\pi}\right)$ | $2071-i 7 \mathrm{MeV}\left(3 / 2^{-}\right)$ |
| :--- | :---: |
| Channels $\downarrow$ | Couplings $\left(g^{i}\right)$ |
| $\rho N$ | $0.02-i 0.4$ |
| $\omega N$ | $-0.1-i 0.1$ |
| $\phi N$ | $0.14+i 0.2$ |
| $K^{*} \Lambda$ | $-0.3+i 0.35$ |
| $K^{*} \Sigma$ | $2.4+i 0.3$ |

## Theoretical formalism

## Vector meson dominance (VMD) and Lagrangians for $\mathrm{P}_{\mathrm{s}}$

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\end{aligned}
$$

Here, we consider only the leading terms Include only $\phi$-meson to explain exp. data $g_{1}$ and $\Gamma_{P_{s}}=4 \mathrm{Me} \rightarrow 28 \mathrm{MeV} \quad$ K. P. Khemchandani et al. PRD83.114041 (2011)

Using VMD,


| $e h_{1}=g_{1} \frac{e}{f_{l}}$ | $M_{R}-i \Gamma / 2 \rightarrow\left(J^{\pi}\right)$ <br> Channels $\downarrow$ | $\begin{gathered} 2071-i 7 \mathrm{MeV}\left(3 / 2^{-}\right) \\ \text {Couplings }\left(g^{i}\right) \end{gathered}$ |
| :---: | :---: | :---: |
|  | pN | -0.02-i0.4 |
|  | CN- | $-0.1-20.1$ |
|  | $\phi N$ | $0.14+i 0.2$ |
| ) | $K^{*} \Lambda$ | $-0.3+i 0.35$ |
| - | $K^{*} \Sigma$ | $2.4+i 0.3$ |

## Other contributions for $\phi$-photoproduction ${ }^{1,2}$

$\mathrm{C}=+1$ vector-like
Pomeron
Most dominant


AV Reggeon, PS, S t-channel


Nucleon and resonances

$$
N, N^{*}\left(2000,5 / 2^{+}\right), N^{*}\left(2300,1 / 2^{+}\right)
$$

- All contributions satisfy Ward-Takahashi identity
- Here, we consider only two nucleon resonances


## Unknown parameters (phases \& cutoffs)

Phase factor $\quad e^{i \pi \beta}$
$\beta$ : relative phase ( $\beta_{円}=0$ )

Form factors

$$
F_{\text {meson }}=\frac{\Lambda_{\text {meson }}^{2}-M_{\text {meson }}^{2}}{\Lambda_{\text {meson }}^{2}-t} \quad F_{N, s(u)}=\frac{\Lambda_{N}^{4}}{\Lambda_{N}^{4}+\left(s(u)-M_{N}^{2}\right)^{2}}
$$

## TABLE I

|  | $f_{1}$ | PS | S | $N$ | $N^{*}\left(2000, \frac{5}{2}^{+}\right)$ | $N^{*}\left(2300, \frac{1}{2}^{+}\right)$ | $P_{s}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| phase $\beta$ | 1 | 0 | $3 / 2$ | 1 | 1 | $1 / 2$ | 1 |
| 1,2 cutoff $\Lambda(\mathrm{GeV})$ | 1.5 | 0.87 | 1.35 | 1.0 | 1.0 | 1.0 | 1.0 |

${ }^{1}$ A. I. Titov et al. PRC58, 2429(1998); 67, 065205(2003)
${ }^{2}$ Sang-ho Kim, Seung-il Nam PRC100.065208(2019); 101.065201(2020)

## Result

## Total cross section

- The exp. data can be explained by the Pomeron alone


## Result



- The Pomeron and resonances seems to important


## Differential cross section (1) <br> compared with the CLAS data <br> PRC 89, 055208; 90, 019901(2014)

Preliminary


## Differential cross section (2)

compared with the CLAS data
PRC 89, 055208; 90, 019901(2014)

## Preliminary













....... Pomeron
-- without resonances

- Total

Exp. data

## Spin density matrix elements (SDMEs)

$$
\rho_{00}^{0} \propto \sum_{\lambda^{\gamma}}\left|\mathcal{M}_{\lambda^{\gamma}, \lambda^{\phi}}\right|_{\lambda^{\phi}=0}^{2}
$$

real photon
$\longrightarrow\left|\mathcal{M}_{\lambda \gamma=1, \lambda^{\phi}=0}\right|^{2}+\left|\mathcal{M}_{\lambda^{\gamma}=-1, \lambda^{\phi}=0}\right|^{2}$
nonzero $\rho_{00}^{0}$ is an evidence of telicity flip $(\gamma \rightarrow \phi)$
$\rho_{00}^{0}$ is Not Lorentz invariant

$$
\alpha_{H e l \rightarrow A d}=\theta_{\text {c.m. }}^{\phi}
$$

$z_{6,}$
$z_{\text {Hel }}$ : direction of $\phi$ (SCHC)
s-channel helicity conservation
$Z_{A d}$ : coincides with $\boldsymbol{Z}_{\text {chm. }}$
$\mathbf{z}_{\mathbf{G J}}$ : direction of $\gamma$ in $\boldsymbol{\phi}$ rest frame

Spin density matrix elements (SDMEs)


- $\rho_{00}^{0}$ is underestimated in all three frames

Spin density matrix elements (SDMEs)


- The result show better agreement with data


## Spin density matrix elements (SDMEs)



- The bump can be reproduced by $P_{s}$


## Summary

- We investigate $\phi$-photo- and electroproduction including a pentaquark molecular $\mathrm{K} \star \Sigma$ bound-state $\left(\mathrm{P}_{\mathrm{s}}\right)$ to explain experiments
- We confirmed that some behaviors of SDMEs can be explained by $P_{s}$ contribution


## Outlook

- Additional investigates for better understanding of $P_{s}$ are in the process and will be appear soon


## Outlook

Electroproduction ( $Q^{2}>0$, virtual photon )


## Outlook

PHYSICAL REVIEW D 105, 114023 (2022)

## Production of $\boldsymbol{P}_{\boldsymbol{c}}(\mathbf{4 3 1 2})$ state in electron-proton collisions

In Woo Park $\odot,^{1}$ Sungtae Cho, ${ }^{2,3}$ Yongsun Kim $\odot,{ }^{4,3,{ }^{*}}$ and Su Houng Lee ${ }^{1,{ }^{\dagger}}$

## Electron-Ion Collider (EIC)



## Thank you for your attention!

## Backup



FIG. 36. (Color online) Helicity conservation in the process $\gamma p \rightarrow V p^{\prime}$, where $V \in\{\rho, \omega, \phi, J / \psi, \ldots\}$ is a generic vector meson: (a) $s$-channel (SCHC in Helicity frame) (b) $t$-channel (TCHC in the Gottfried-Jackson frame). If the $I P$ couples like a $0^{+}$object in (b), one would expect TCHC to hold. The $V=\phi$ data in (c) exhibits strong deviation from TCHC since $\rho_{00}^{0} \neq 0$, implying non-zero helicity flips. The filled arrows in (a) and (b) depict the spins of the incoming and outgoing vector particles.

